Requirement	Met by satisfying this condition	For these tests and confidence intervals:
2 separate populations and	a random sample from each of the populations	<ul> <li>2 sample t-test and confidence interval for difference of two means</li> <li>2 sample z-test and confidence interval for difference of two proportions</li> <li>X<sup>2</sup> test of homogeneity</li> </ul>
Observations are independent	Random sample(s) Note: This only applies when actually sampling from a population. In an observational study there may not be an actual population out there. For experiments, random assignment to treatment	<ol> <li>1 sample t-test and confidence interval for means</li> <li>2 sample t-test and confidence interval for difference of two means</li> <li>matched pairs t-test and confidence interval for mean difference</li> <li>1 sample z-test and confidence interval for proportions</li> <li>2 sample z-test and confidence interval for difference of two proportions</li> <li>test and confidence interval for difference of two proportions</li> <li>test and confidence interval for linear relationship</li> <li>X<sup>2</sup> test of goodness of fit</li> <li>X<sup>2</sup> test of homogeneity</li> </ol>
The population is large enough to use appropriate form of $\sqrt{\frac{pq}{n}}$ or $\frac{S_x}{\sqrt{n}}$ to approximate the standard deviation(s) of the sampling distribution(s)	$N \ge 10n$ $N_1 \ge 10n_1$ and $N_2 \ge 10n_2$ Note: This only applies when actually sampling from a population. In an observational study there may not be an actual population out there	<ol> <li>1 sample t-test and confidence interval for means matched pairs t-test and confidence interval for mean difference</li> <li>1 sample z-test and confidence interval for proportions</li> <li>2 sample t-test and confidence interval for difference of two means</li> <li>2 sample z-test and confidence interval for difference of two proportions</li> </ol>

Requirement	Met by satisfying this condition	For these tests and confidence intervals:
The normal distribution may be used to determine the p value if	n $\vec{p}$ and n $\vec{q}$ are both at least 10.	1 sample z Confidence Interval for proportions
	np and nq are both at least 10.	1 sample z-test for proportions
	$n_1  \vec{p}_1$ and $n_1  \vec{q}_1$ and $n_2  \vec{p}_2$ and $n_2  \vec{q}_2$ are all at least 5.	2 sample z-confidence interval for difference of two proportions
	$n_1p_1$ and $n_1q_1$ and $n_2p_2$ and $n_2q_2$ are all at least 5.	2 sample z-test for difference of two proportions
The t distribution may be used to determine the p-value if	the population has a normal distribution	1 sample t-test or Confidence Interval for means
	or	
	if n < 15, and the distribution of the data is fairly symmetric with no outliers	
	or,	
	if $15 \le n \le 40$ and the sample data has no large outliers	
	or,	
	if n > 40.	
	Both samples or populations meet the above criteria.	2 sample t-test or Confidence Interval for difference of two means
	The distribution of the differences meets the above criteria.	matched pairs t-test or Confidence Interval for mean difference

Requirement	Met by satisfying this condition	For these tests and confidence intervals:
The sample is large enough to use the $X^2$ procedures to determine the p value	All expected counts are at least 1 and no more than 20% of the expected counts are smaller than 5.	$X^2$ test of goodness of fit $X^2$ test of association $X^2$ test of homogeneity
There is an approximately linear relationship between $\mu_y$ and x: i.e. $\mu_y = \sigma + \beta x$	<ul> <li>The residuals (y - y) are randomly scattered and the residuals are independent and the distribution of the residuals is approximately normal.</li> <li>Note: Linearity may have to be assumed from the given graph or statistics.</li> </ul>	t test and confidence interval for linear relationship